

Key

1. A bowl contains 60 pieces of Reese's Pieces candy. The probability of picking a brown piece is $\frac{1}{4}$. The probability of picking a yellow piece is $\frac{1}{3}$.

a. What is the probability of picking an orange piece?

$$P(\text{Brown}) = \frac{1}{4} = \frac{3}{12}$$

$$P(\text{Yellow}) = \frac{1}{3} = \frac{4}{12}$$

$$P(\text{Orange}) = \frac{12}{12} - \frac{3}{12} - \frac{4}{12} = \frac{5}{12}$$

b. How many of each are in the bowl?

Brown: $\frac{3}{12} = \frac{15}{60}$ 15 brown

yellow: $\frac{4}{12} = \frac{20}{60}$ 20 yellow

orange: $\frac{5}{12} = \frac{25}{60}$ 25 orange

2. After eating some of the candy, the bowl now contains 5 yellow pieces, 7 orange pieces, and 8 brown pieces. Wanting to savor every last piece, you reach in and take out a single piece at random. $5 + 7 + 8 = 20$

a. What is the probability the piece is orange?

$$P(\text{orange}) = \frac{7}{20}$$

b. How many brown pieces do you need to eat so that the probability of picking brown is $\frac{1}{4}$?

Right now, the probability of brown = $\frac{8}{20}$. Every time one is removed, the number of brown pieces AND the total amount is reduced by 1.

Brown left	8	7	6	5	4
Total Pieces	20	19	18	17	16

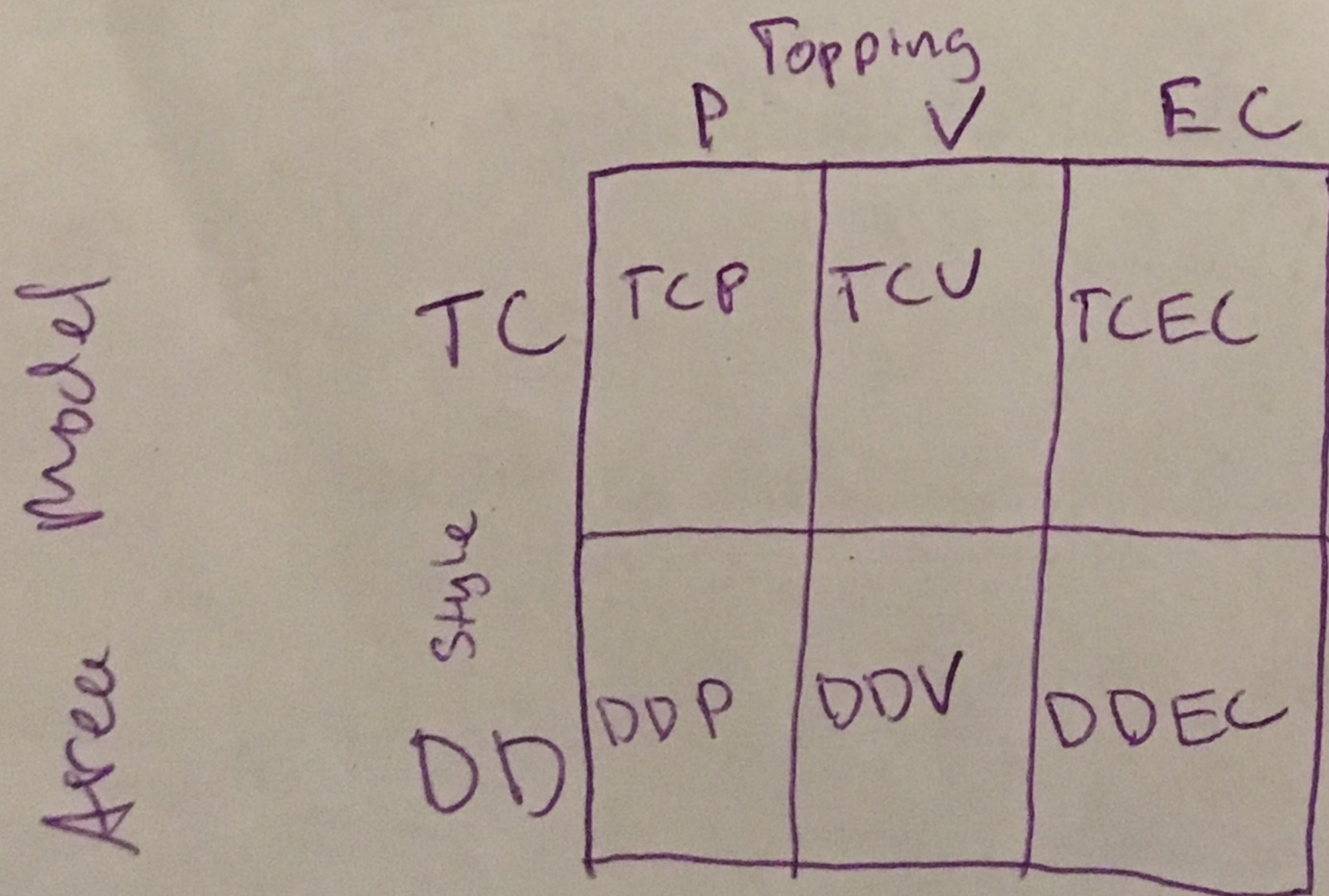
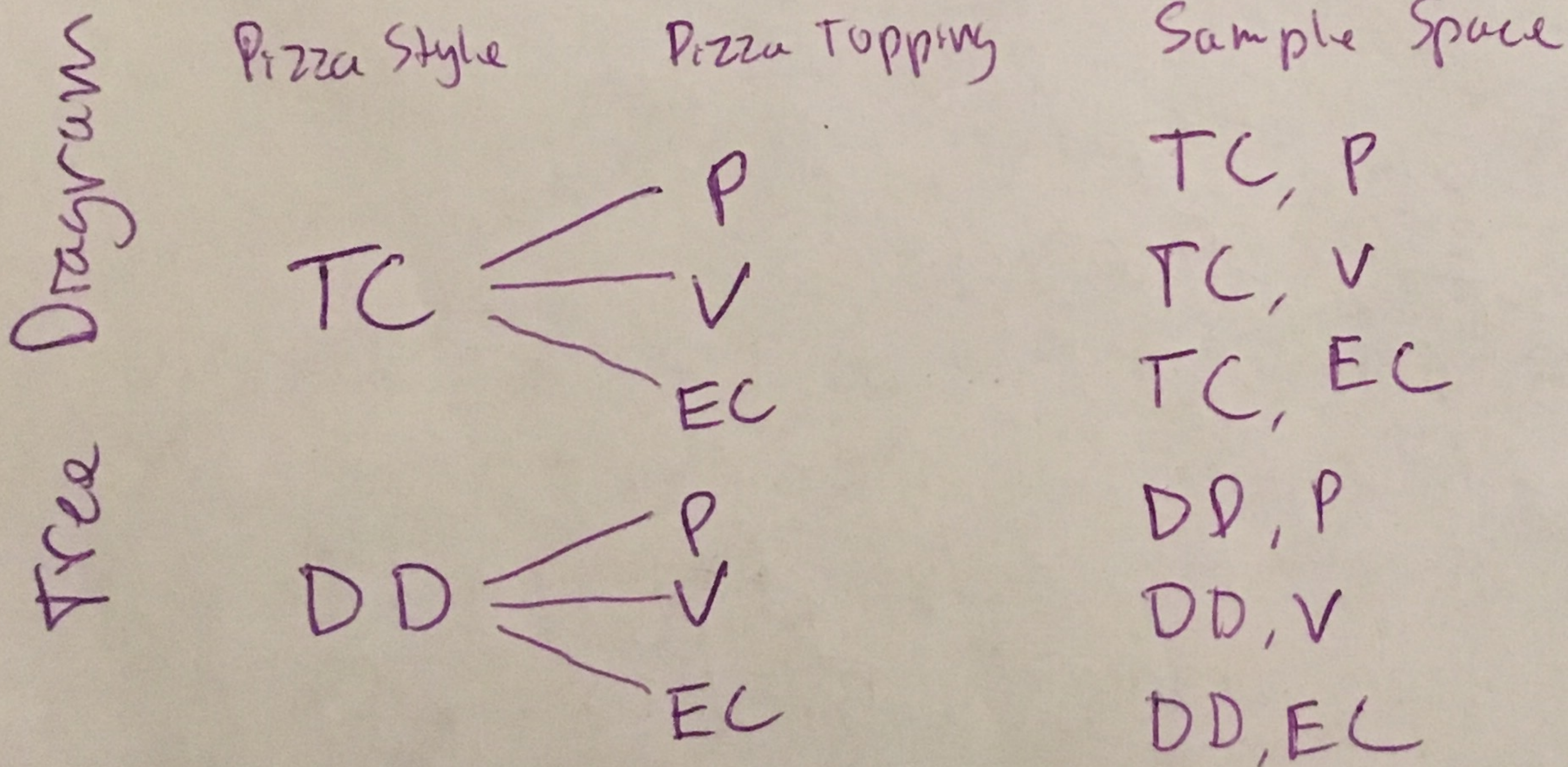
$$\frac{4}{16} = \frac{1}{4}$$

4 brown Pieces

3. A pizza parlor offers two types of pizzas with three types of toppings.

Pizza Style	Pizza Topping
TC	Pepperoni P
DD	Veggie V
	Extra Cheese EC

a. Create a tree diagram or area model to display all of the possible outcomes.



4. Suppose you select a pizza at random...

a. What is the theoretical probability of getting a deep dish pizza?

$$P(DD) = \frac{3}{6} = \frac{1}{2}$$

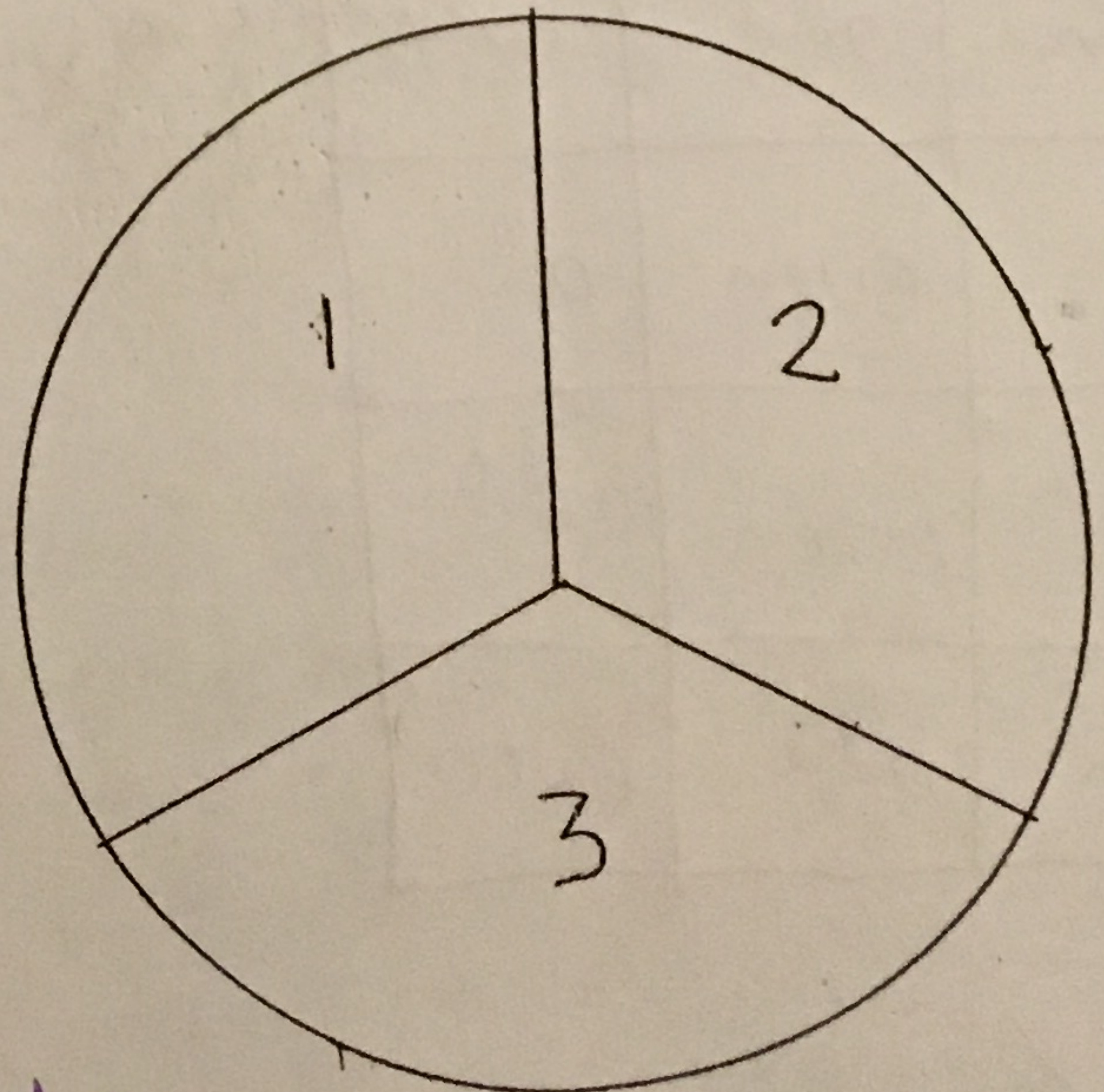
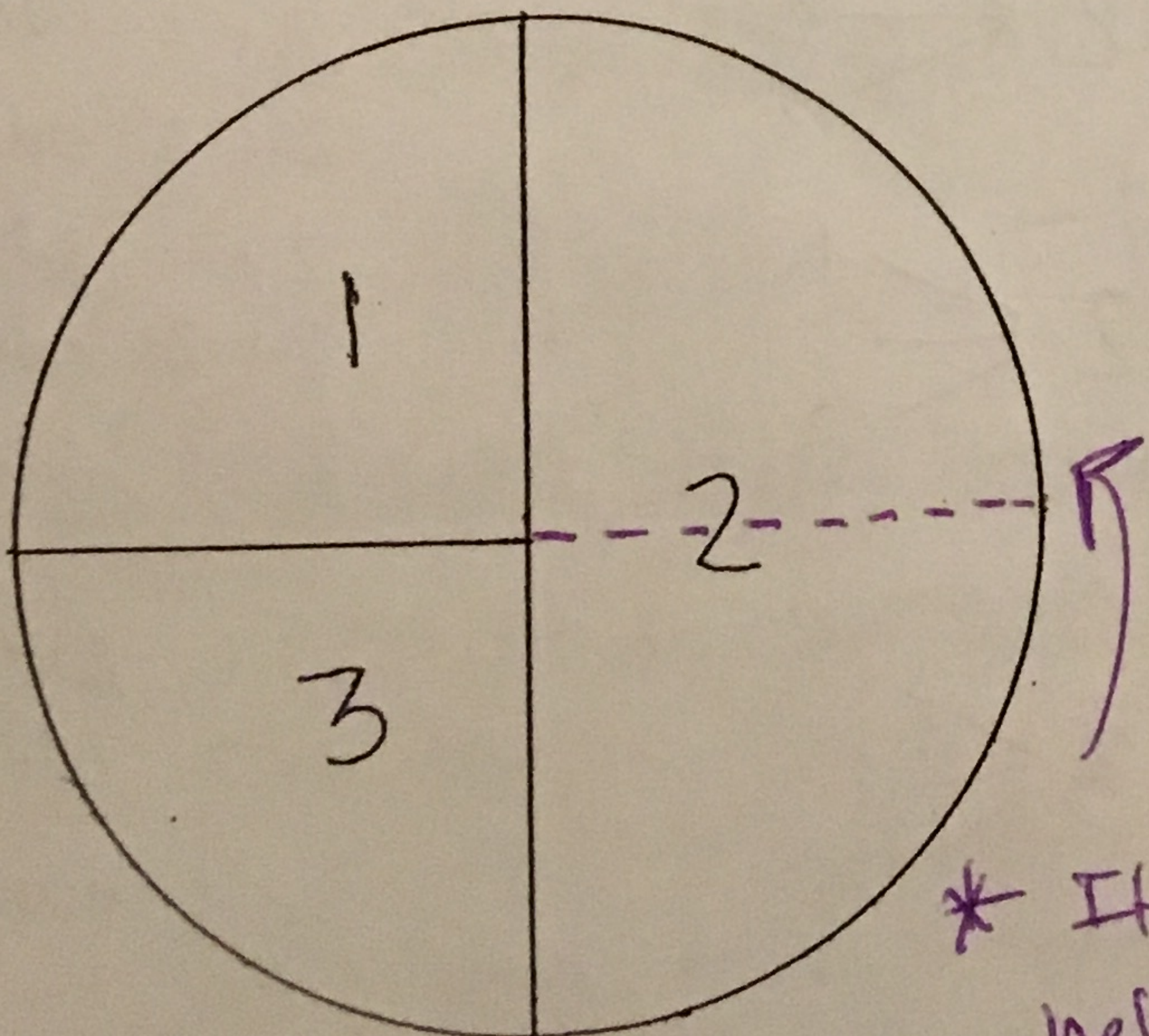
b. What is the theoretical probability of getting a thin crust veggie pizza?

$$P(TCV) = \frac{1}{6}$$

c. What is the probability of getting a veggie OR extra cheese pizza?

$$P(V \text{ or } EC) = \frac{4}{6} = \frac{2}{3}$$

5. The following two spinners are used in a game. To play the game, you spin both spinners. If the sum of the numbers on both spinners is odd you win. If the sum is even, you lose. Draw a tree diagram or area model to represent this situation (remember, it may be helpful to split the spinner into equal sections first!)



* Its helpful to divide into equal sized sections

a. What is the probability of winning this game?

$$P(\text{win}) = \frac{6}{12} = \frac{1}{2}$$

b. What is the probability of losing this game?

$$P(\text{lose}) = \frac{6}{12} = \frac{1}{2}$$

c. Is this a fair game? *yes, because the chances of winning and losing are equally likely.*

Area Model

Spinner 2

1 2 3

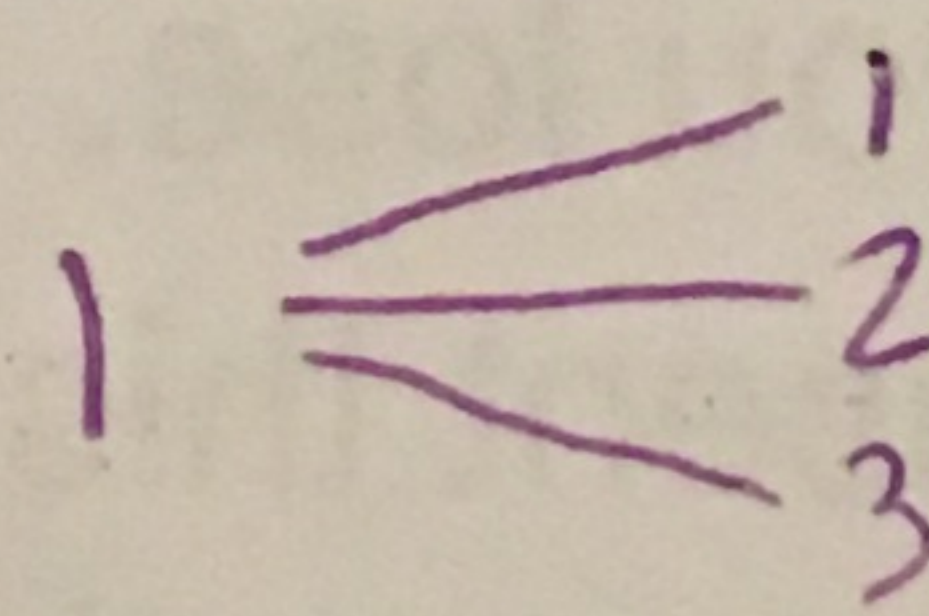
Spinner 1

1	even	odd	even
2	odd	even	odd
2	odd	even	odd
3	even	odd	even

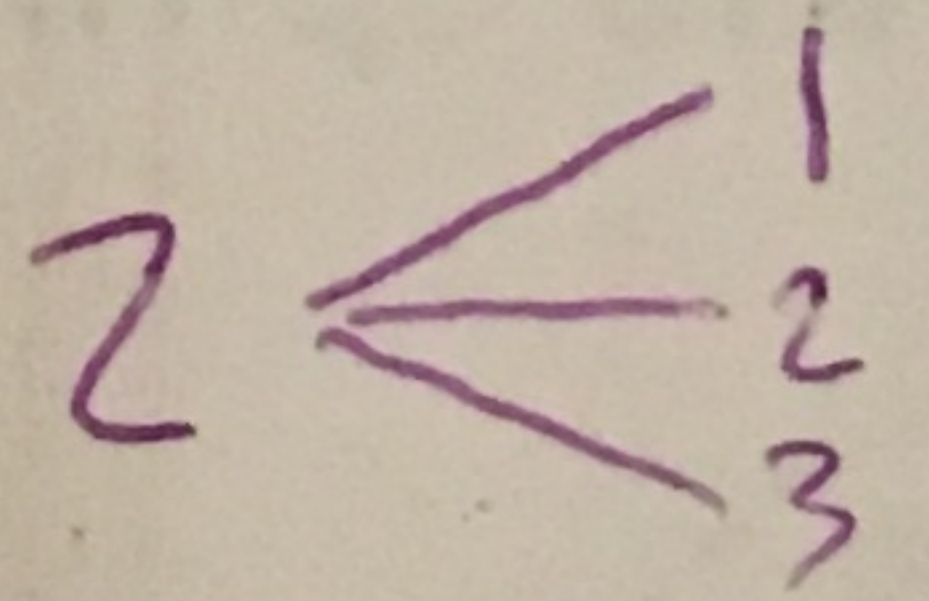
Spinner 1

Spinner 2

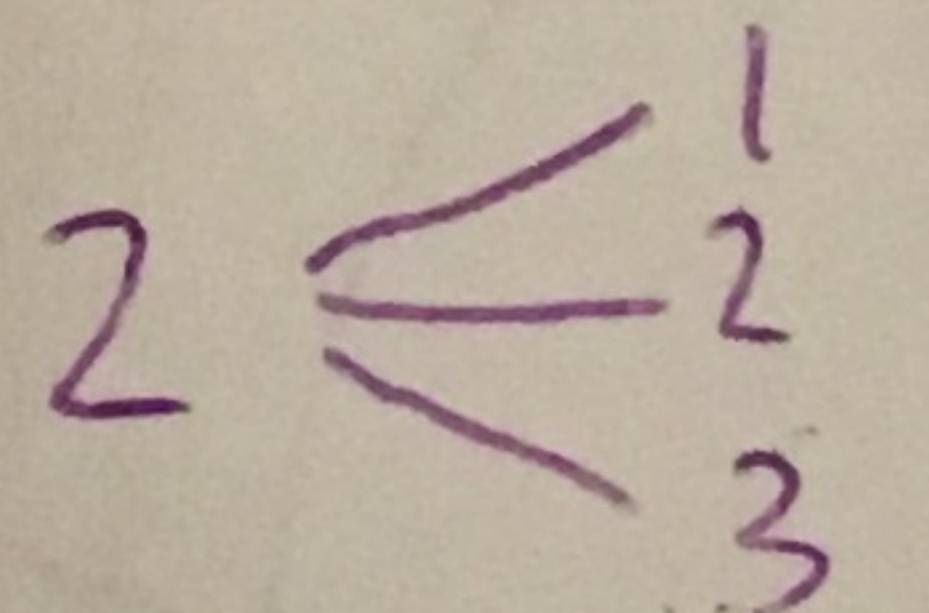
Sample Space



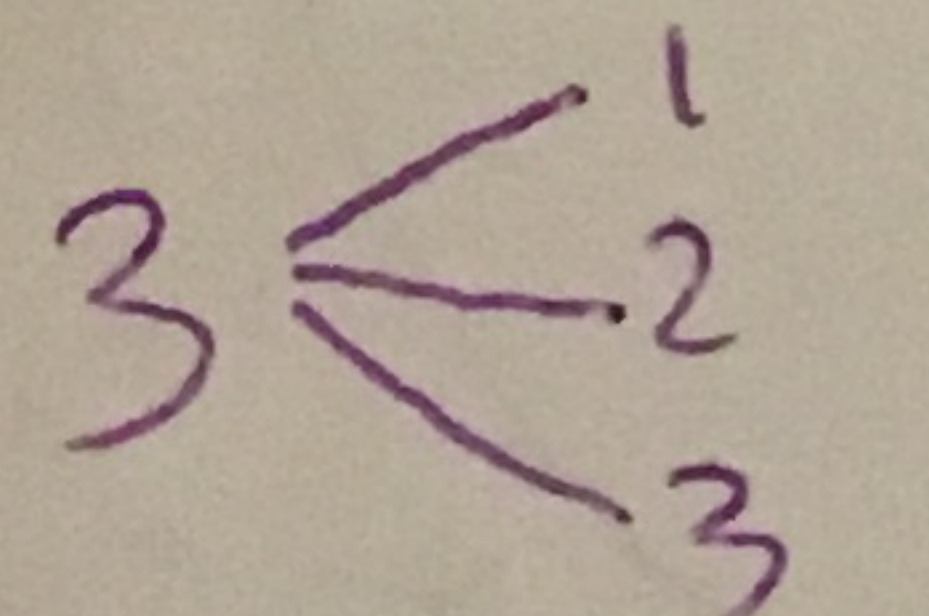
1+1 even
1+2 odd
1+3 even



2+1 odd
2+2 even
2+3 odd



2+1 odd
2+2 even
2+3 odd



3+1 even
3+2 odd
3+3 even